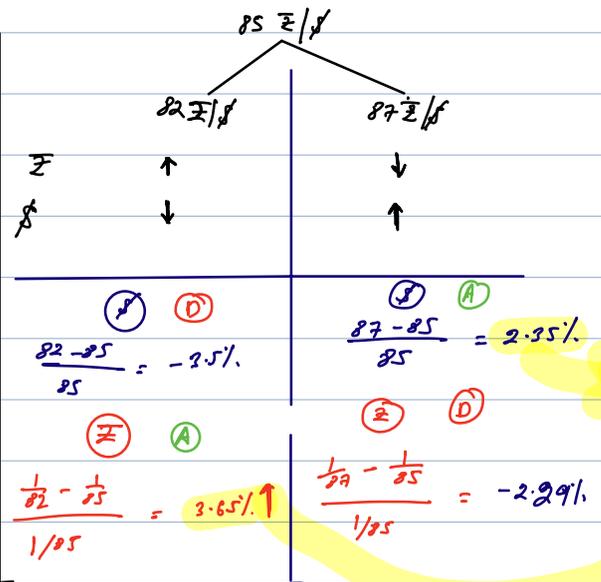


Direct quote \rightarrow $85 \text{ } \text{£}/\text{\$}$
 Pricing Currency \rightarrow £
 Base Currency \rightarrow $\text{\$}$

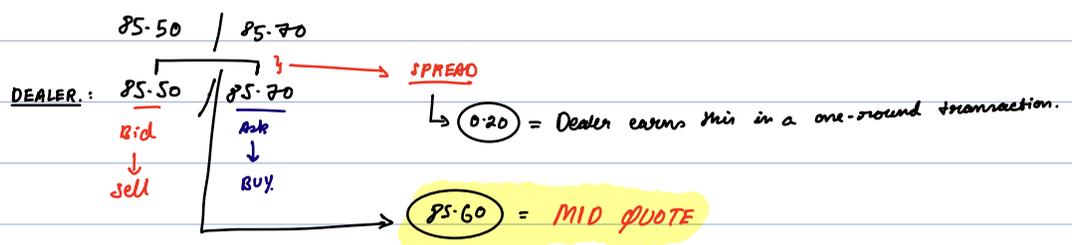
0.017 \rightarrow 0.0117 USD/INR

Indirect quote



Appreciation always $\uparrow\uparrow$ than Depreciation.
 Base is lower in case of appn.

BID/ASK



INTEREST - RATE PARITY.

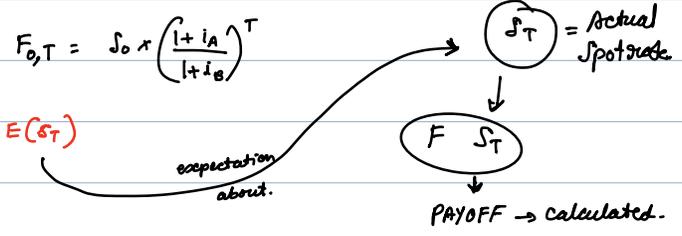
$F = S_{A/B} = \left[\frac{1+i_A}{1+i_B} \right]^T$

Compounding int. \rightarrow $1+i_A$
 Discounting benefit \rightarrow $1+i_B$

Timeline: $0 \rightarrow T$
 S_0 (SPOT) at $t=0$

€
 $85 \text{ } \text{£}/\text{\$}$
 $i_{\text{€}} = 8\%$
 $i_{\text{\$}} = 5\%$
 $T = 1 \text{ year}$

$F = S_{A/B} \left[\frac{1+i_A}{1+i_B} \right]^T$
 $= 85 \left(\frac{1.08}{1.05} \right)^1$
 $= 87.428$



$F_{\$/\text{€}}$ \therefore interest rate parity $= 1.05 \text{ } \$/\text{€}$ $\left| \begin{array}{l} A \rightarrow \text{€} \\ B \rightarrow \text{\$/€} \end{array} \right.$

$F = \text{Spot} + \text{Int} + \text{Storage} - \text{Benefit}$

$F_{A/B} = S_{A/B} = \left[\frac{1 + (i_A \times \frac{60}{360})}{1 + (i_B \times \frac{60}{360})} \right]$

$S_{A/B} \left(\frac{1+i_A}{1+i_B} \right)^{60/365} \times$

$\text{Euro}/\text{\$} = 1.1025 / 95 = 1.1025 / 1.095$

$i_e = 3\%$

$\text{\$/€} = 1.1025$

$i_{\$/\text{€}} = 5\%$

$i_{\text{€}/\text{\$}} = 3\%$

disc/premium for both currencies in % & point form.

$F = 11025 \times \frac{\text{disc/premium}}{30} \text{ in } \%$

$F = 1.0971 \text{ } \text{\$/€}$

$F_{\$/\text{€}} = \frac{1.0971 - 1.1025}{1.1025} = -0.489\%$

$F_{\text{€}/\text{\$}} = \frac{1.0971}{1.1025} = 0.995\%$

$F_{\text{€}/\text{\$}} = \frac{1.1025}{1.0971} = 1.004\%$

$F_{\text{€}/\text{\$}} = \frac{1.1025}{1.0971} = 1.004\%$

$F_{\text{\$/€}} = \frac{1.0971}{1.1025} = 0.995\%$

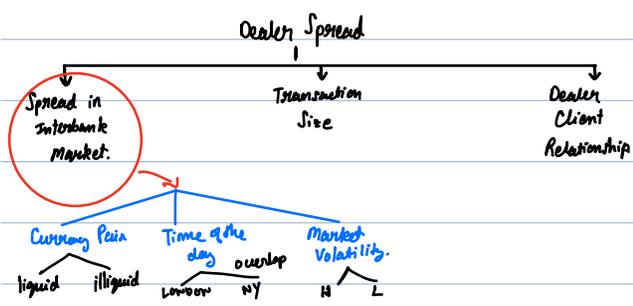
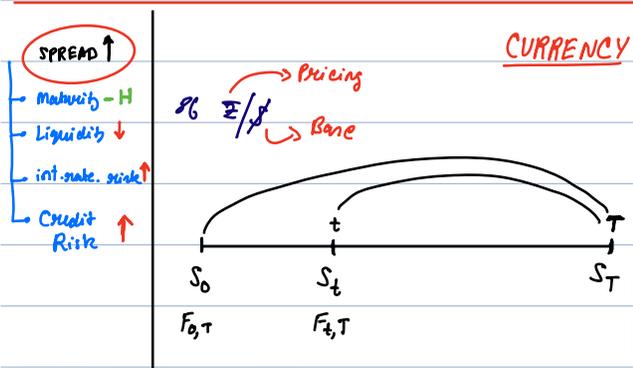
$F_{\text{\$/€}} = \frac{1.0971}{1.1025} = 0.995\%$

$1.1025 \times \frac{1 + 0.03 \times \frac{90}{360}}{1 + 0.05 \times \frac{90}{360}}$

$= 1.0971 \text{ } \text{€}/\text{\$}$

$\therefore \text{\$/€} \downarrow F_{\$/\text{€}} = \frac{1.0971 - 1.1025}{1.1025} = -0.489\%$

$\text{€}/\text{\$} \uparrow$



JP Bid Ask

$144.5995 / 65$ JPY/USD

$144.5995 / 144.6065$

Bid Ask.

$144.5995 \text{ } \text{\$/€}$ $144.6065 \text{ } \text{\$/€}$

$\text{\$/€}$ \rightarrow Base currency

$\text{€}/\text{\$}$ \rightarrow Quote currency

Dealer Client

Dealer

- Buy $\text{\$/€}$ 0.005513
- Sell $\text{\$/€}$ 0.005156

Client

- Buy $\text{\$/€}$ 0.005513
- Sell $\text{\$/€}$ 0.005156

$\text{€}/\text{\$}$ \rightarrow Base currency

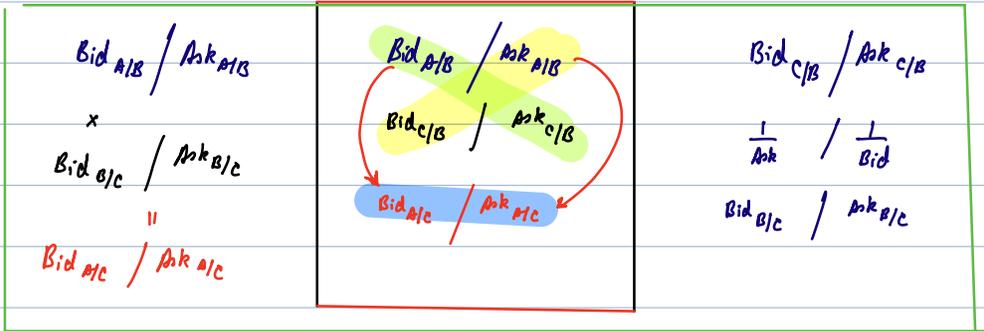
$\text{\$/€}$ \rightarrow Quote currency

$\text{€}/\text{\$}$ \rightarrow Base currency

$\text{\$/€}$ \rightarrow Quote currency

CROSS-RATES.

$$\frac{A}{B} \times \frac{B}{C} = \frac{A}{C}$$



Simplified Rate = 97.9776 / 98.4652

Bank A: 86.40 / 86.70 (INR / USD)

Bank B: 1.1340 / 1.1357 (USD / EUR)

Bank C: 98.9500 / 99.5010 (INR / EUR)

Arbitrage with 1000 €

Bank C: 1000 € sell → 98,950 INR get.

Bank A: sell 98,950 INR → get 98,950 INR / 86.70 = 1,141.29 USD

give = 1,141.29 USD

Bank B: get 1,141.29 USD → 1,1357 USD / EUR → 1,004.92 EUR

1000 € return = 1004.92 EUR

4.92 € ARBITRAGE profit

in Bank C → EUR expensive INR cheaper compared to A+B

FX MARKETS · CROSS-CURRENCY MISPRICING

TRIANGULAR ARBITRAGE

INR / USD / EUR · Three-Bank Example

RISK-FREE PROFIT +€4.92

IMPLIED INR/EUR VIA A+B: 97.9776 (Implied Bid) vs 98.4652 (Implied Ask) vs 98.95 (Bank C Bid)

ARBITRAGE TRADE - STEP BY STEP (Start: €1,000)

- BANK C:** Sell €1,000 at Bank C's bid rate of 98.95 INR/EUR → 98,950 INR received
- BANK A:** Sell 98,950 INR at Bank A's ask rate of 86.70 → 1,141.29 USD received
- BANK B:** Sell 1,141.29 USD at Bank B's ask rate of 1.1357 → 1,004.92 EUR received

RISK-FREE ARBITRAGE PROFIT: 1,004.92 - 1,000.00 = +4.92 EUR

WHY THIS WORKS: When the direct rate quoted by Bank C (INR/EUR = 98.95) is higher than the implied cross rate derived from Banks A & B (97.98-98.47), the EUR is overpriced at Bank C relative to the synthetic route. Exploiting this gap — sell EUR where it's high, convert through USD where it's fairly priced — yields a riskless round-trip profit. In real markets, this gap closes within milliseconds via algorithmic HFT.

Overlapping Bid/Ask

ALWAYS LOSS

else

ARBITRAGE PROFIT

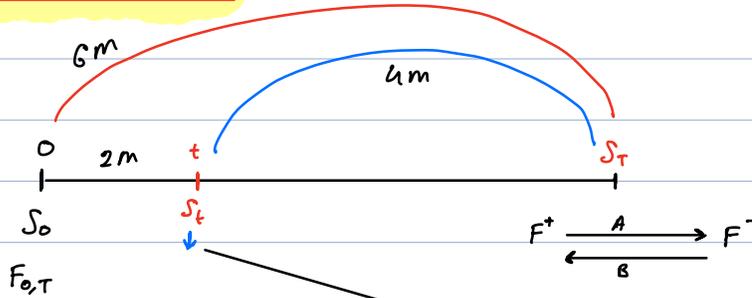
97.9776 vs 98.4652

ARBITRAGE PROFIT

ARBITRAGE LOSS

profit not possible

CURRENCY FORWARD.



$F_{price} = Spot + Int + Storage - Benefit.$

$$= S_0 \left[\frac{1 + (i_A \times m/360)}{1 + (i_B \times m/360)} \right]$$

$F_{t,4} = Y_{A/B}$

$F^- \xrightarrow{Y} F^+$

$V_F = 0$ at initiation.

[No arb. price.]

$S_0 = 86.5 \text{ £/\$}$

180 day $i_{\$} = 7\%$

$i_{£} = 4.5\%$

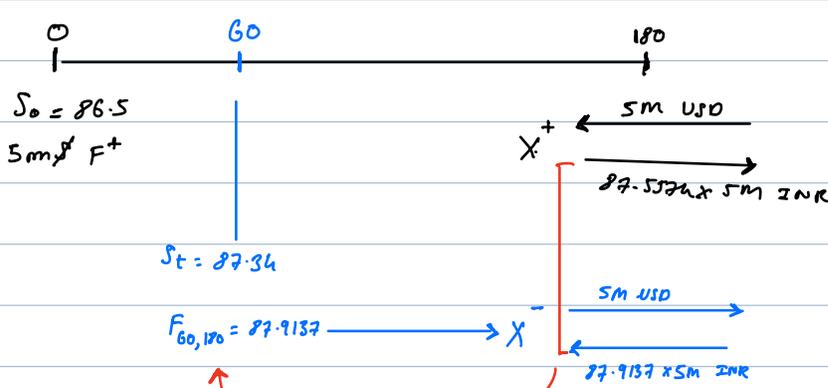
$\Rightarrow F_{\frac{180}{360}} = S_0 \times \left(\frac{1 + (0.07 \times \frac{1}{2})}{1 + (0.045 \times \frac{1}{2})} \right) = 87.5574 \text{ £/\$}$

∴ value of Forward Contract to F^+ on B = $\frac{FP_t - FP_0^{A/B}}{1 + (i_A \times \frac{T-t}{360})}$

lock in the rate for 1 $\frac{1}{2}$ [B]

A = INR, B = USD.

discounted using INR rate.



S_T	day	$i_{£}$	$i_{\$}$
	60	6%	4%
	120	6.5%	4.5%
	180	7.2%	4.8%

$F_{60,120} = 87.34 \left[\frac{1 + 0.065 \times \frac{120}{360}}{1 + 0.045 \times \frac{120}{360}} \right] = 87.9137$

diff in earning $\Rightarrow \frac{1.7815}{1 + (0.065 \times \frac{120}{360})} = 1.743719 \text{ £}$

dinc. using INR rate.

$$F = S \left(\frac{1+i_A}{1+i_B} \right)^T$$

$$\Rightarrow \frac{F}{S} = \left(\frac{1+i_A}{1+i_B} \right)^T$$

$$\Rightarrow \frac{F-S}{S} = \frac{1+i_A - (1+i_B)}{1+i_B}$$

$$\Rightarrow F/S \approx i_A - i_B \quad \text{interest rate differential.}$$

position covered using forward.

Interest Rate Parity

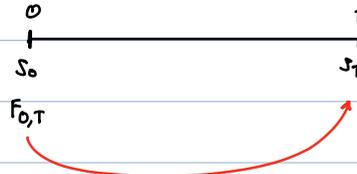
Key assumption \rightarrow RISK NEUTRAL

Covered.

$$F_{A/B} = S_{A/B} \left[\frac{1+i_A}{1+i_B} \right]^T$$

Uncovered.

$$E(S_{A/B}) = S_{A/B} \left[\frac{1+i_A}{1+i_B} \right]^T$$



known today

If UIPR holds,

$$F_{0,T} = S \left(\frac{1+i_A}{1+i_B} \right)^T = E(S_T) = S \left(\frac{1+i_A}{1+i_B} \right)^T$$

$$\Rightarrow F_{0,T} = E(S_T) \rightarrow \text{FORWARDED RATE PARITY} \rightarrow \text{UNBIASED ESTIMATOR.}$$

PPP \rightarrow Purchasing Power Parity

1\$ = 86 ¢

Law of one price.

ABSOLUTE PPP

\rightarrow Basket of Goods

$$\rightarrow S_{A/B} = \frac{CPI_A}{CPI_B}$$

CONF.

- diff consumption pattern
- basket different

RELATIVE PPP

$$\Delta S\% = \text{inflation}_A - \text{inflation}_B$$

$$\frac{S_1 - S_0}{S_0}$$

$$\begin{aligned} \Rightarrow \frac{S_1}{S_0} - 1 &= \frac{S_0 \left(\frac{1+\pi_A}{1+\pi_B} \right) - S_0}{S_0} - 1 \\ &= \frac{\pi_A - \pi_B}{1+\pi_B} \end{aligned}$$

$$\approx \pi_A - \pi_B$$

expected.

Anticipation.

Ex-ante PPP

$$\% \Delta E(S) = E[\text{Inflation}_A - \text{Inflation}_B]$$

$$\begin{aligned} \% \Delta E(S) &= \pi_A - \pi_B \\ E(S_1) &= S_0 \left(\frac{1+\pi_A}{1+\pi_B} \right) \\ &= S_0 [1 + (\pi_A - \pi_B)] \\ \frac{E(S_1) - S_0}{S_0} &= (\pi_A - \pi_B) \\ \therefore \% \Delta E(S) &= (\pi_A - \pi_B) \end{aligned}$$

FISHER'S EQUATION.

delayed consumption

loss of purchasing power.

DOMESTIC

$$(1 + \text{nominal}) = (1 + \text{real}) (1 + \text{inflation})$$

nominal \approx real + inflation.

INTERNATIONAL

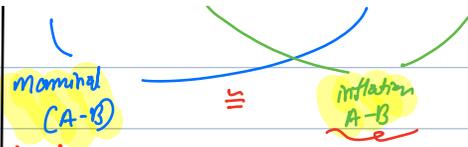
$$REAL_A = REAL_B$$

$$\text{nominal}_A - \text{inflation}_A = \text{nom}_B - \text{infl}_B$$

⇒ real ≡ nominal - inflation

$$= \frac{1 + \text{nominal}}{1 + \text{inflation}} - 1$$

$$\approx \frac{\text{nominal} - \text{inflation}}{(i) \quad (π)}$$



Interest Rate Differential

Inflation Differential

⇓

$$\frac{1 + \text{nom}_A}{1 + \text{nom}_B} = \frac{1 + \text{infl}_A}{1 + \text{infl}_B}$$

ASSUMPTION

• Real in same across countries.

• no restriction.

REALITY

Real stocks are different

→ Sovereign risk

→ Capital controls

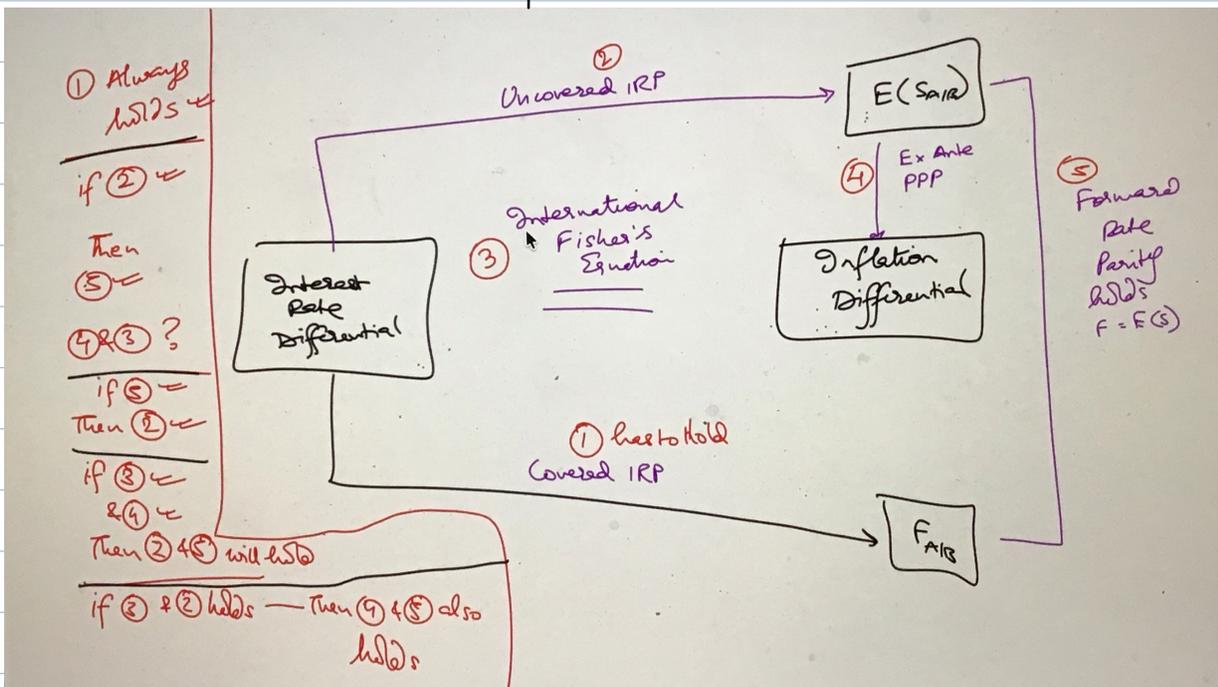
→ PPP fails

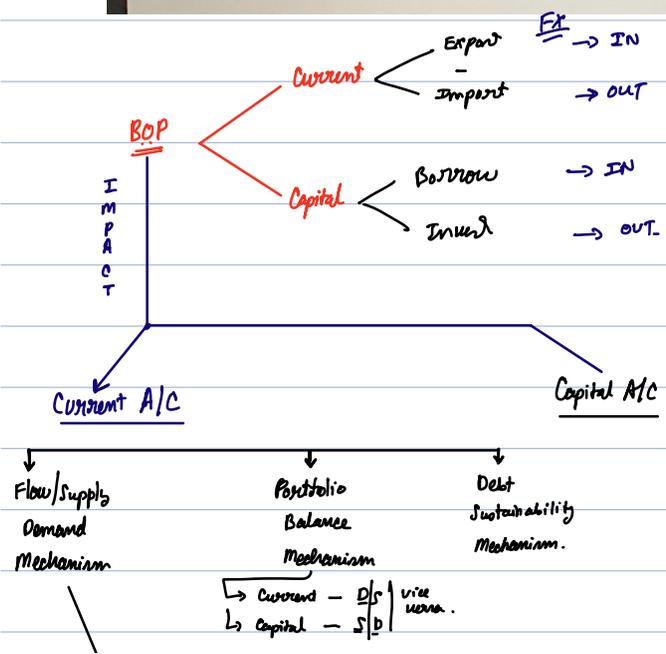
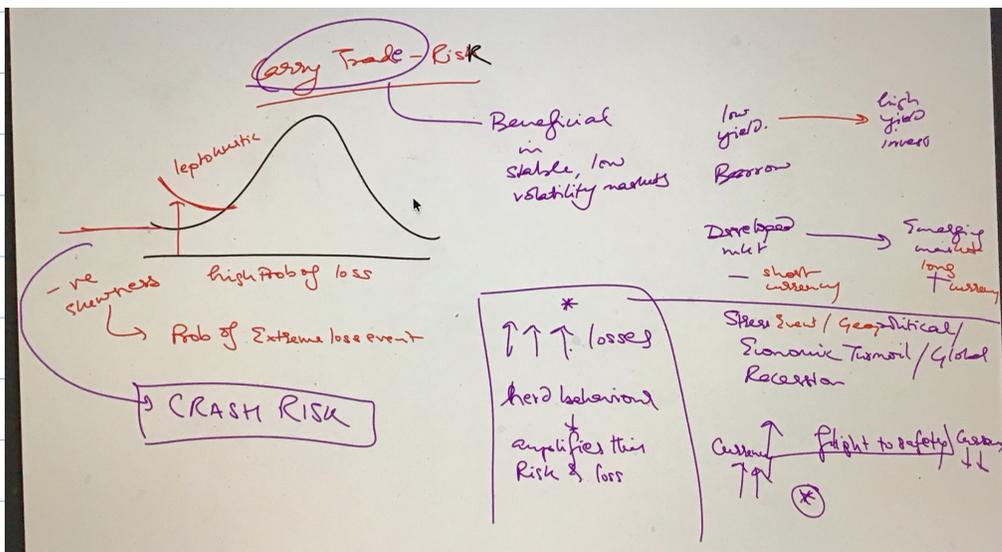
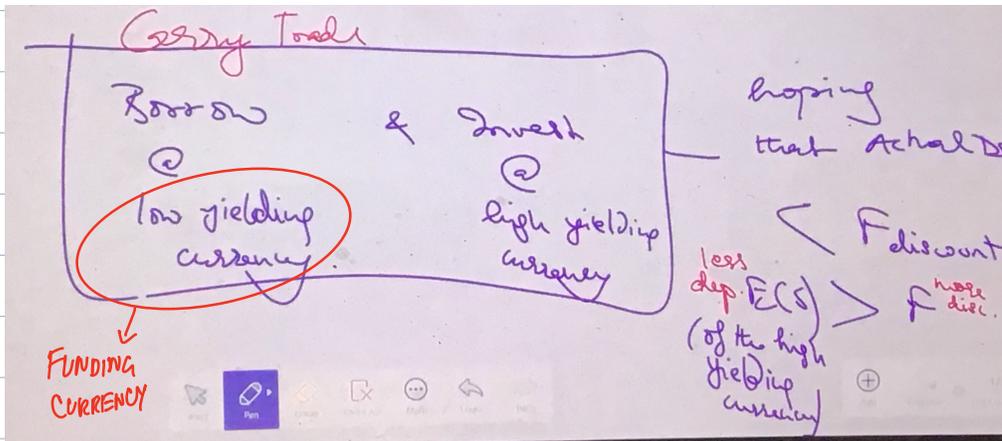
→ Transac. cost.

→ E(Intl) divergence

→ Balance-Samuelson Effect: Developing countries → lower productivity in services.

↓
BIGGER CPI.





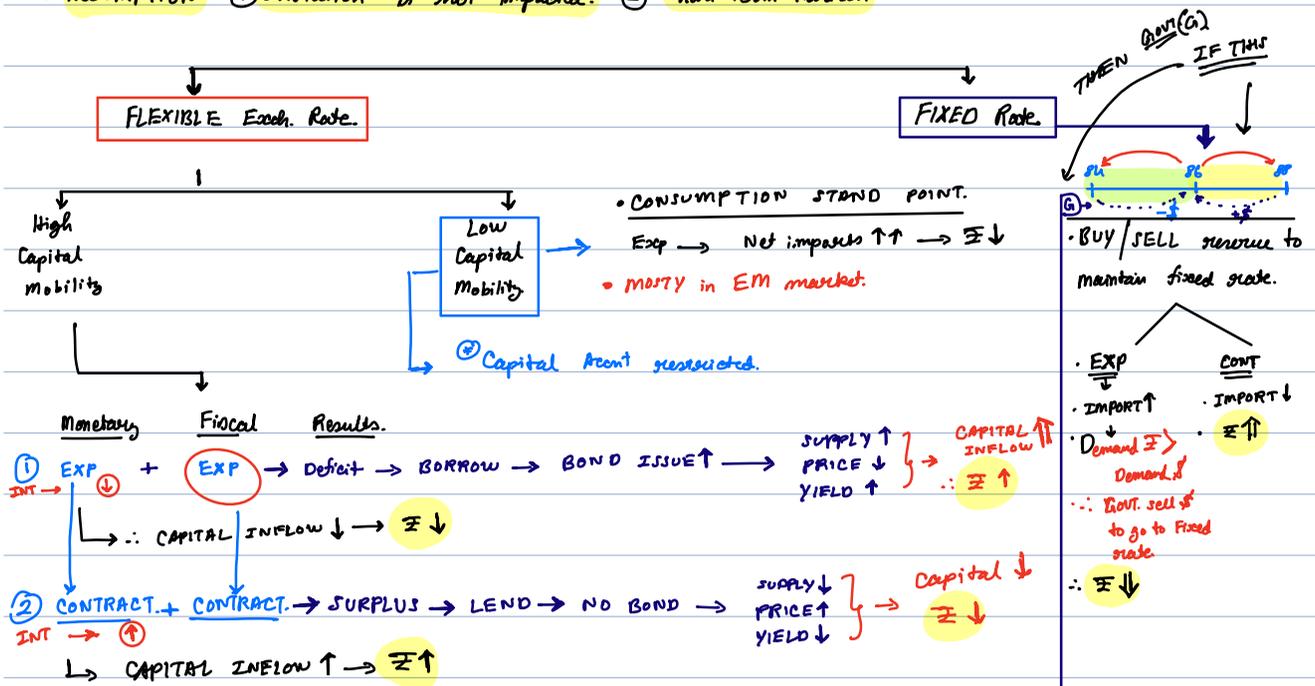
	Ex	Im	
Σ	↑	↓	
C.A.	surplus	deficit	η - Elasticity

Restore
 → initial deficit.
 → $zm \downarrow$ Ex↑ (ex: China)
 → Exchange rate on import.

MUNDSELL - FLEMING MODEL

• Trying to understand monetary & fiscal impact on Σ .

• ASSUMPTION: ① Inflation is not impacted. ② Short-Term Horizon

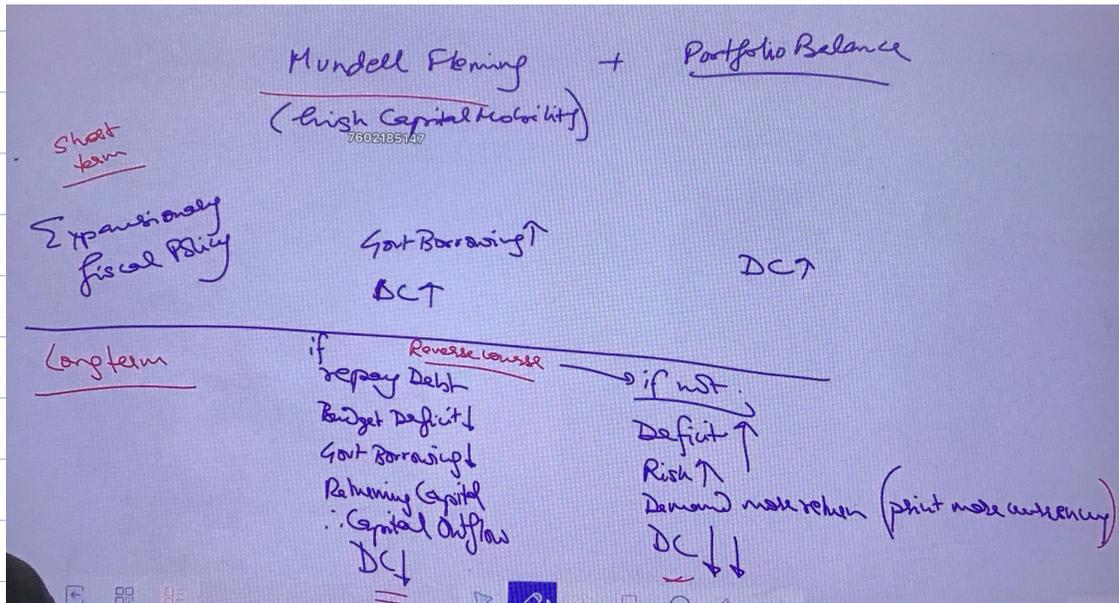
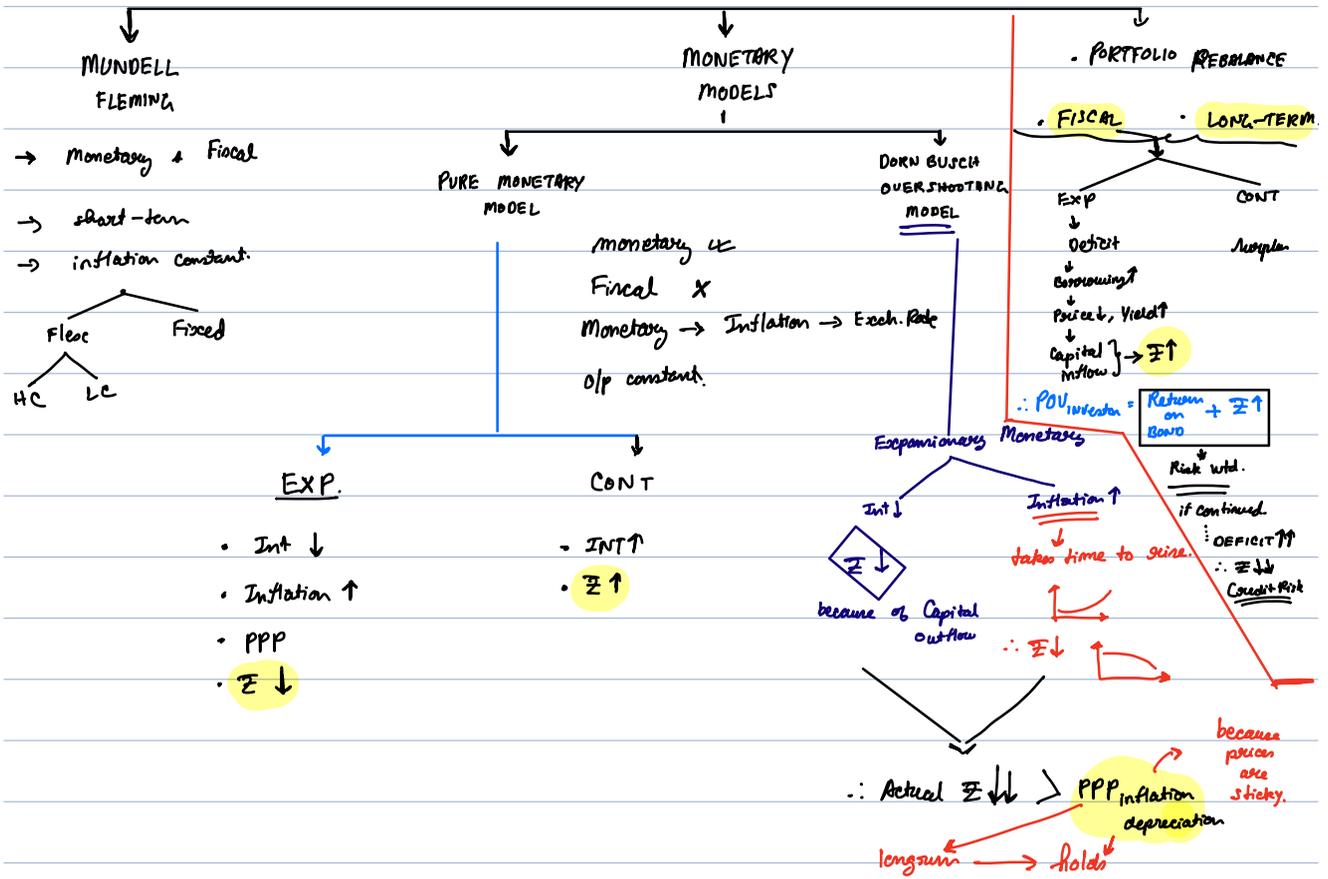


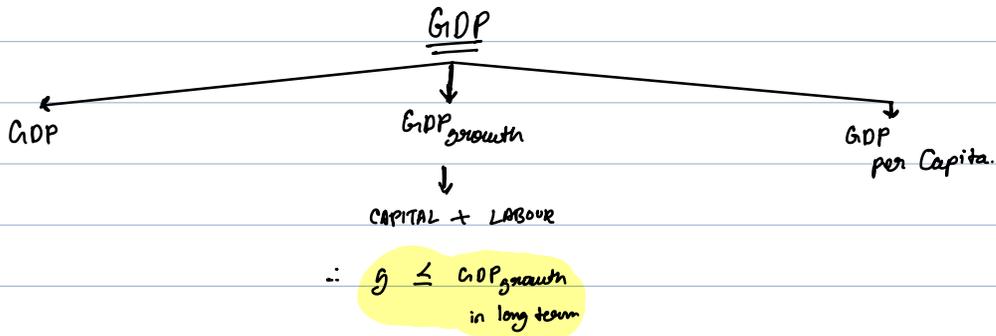
HIGH CAPITAL MOBILITY

M	F	R
E	E	↓↑ -?
F	C	↓↓ - (Σ↓)
C	E	↑↑ - (Σ↑)
C	C	↑↓ -?

LOW CAPITAL MOBILITY

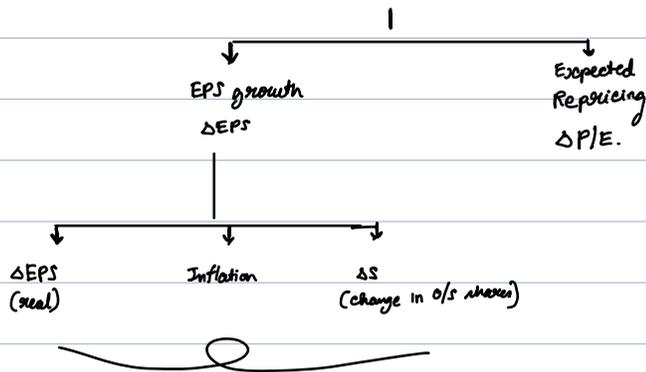
M	F	R
E	F	↓↓ → NET IMPORT
F	C	?
C	E	?
C	C	↑↑ → NET EXPORT





GRINOLD KRONER MODEL.

$ECR = \text{Dividend Yield} + \text{Capital Gains}$



$ECR = \text{Div Yield} + \text{Capital Gains}$

Div Yield: generally stable

Capital Gains: $\Delta \text{EPS}_{\text{real}} + \text{Inflation} - \Delta S + \Delta \text{P/E}$

- $\Delta \text{EPS}_{\text{real}}$: most important factor for growth, limited to real potential GDP growth
- $\Delta \text{P/E}$: fluctuates with business cycle, cannot increase indefinitely
- ΔS : represents the diff b/w (total - listed) equity growth, includes net buy back and issuance-buyback
- ΔS breakdown: -ve (no of sh ↓) and +ve (EPS ↑, Retention)
- ΔS also includes relative dysfunction and GDP growth coming from not publicly traded equity (SME)

Labels in diagram: EPS growth, Repricing, Dilution effect, Relative dysfunction, net buy back, issuance-buyback, Represents the diff b/w (total - listed) equity growth, limited to real potential GDP growth, fluctuates with business cycle, cannot increase indefinitely, EPS ↑, Retention, no of sh ↓, -ve +ve.

Grinold Kroner Model.

$$g = \Delta P/E + E(\text{inflation}) + g_{\text{real}} + \Delta S$$

$$E(R) = \frac{\text{Dividend}}{\text{Price}} - \Delta S + g + i + \frac{\Delta P}{E}$$

Income Yield: $\frac{\text{Dividend}}{\text{Price}}$

Capital Gain Yield: $g + i + \frac{\Delta P}{E}$

Annotations: ΔS is change in P/E ratio (Repurchase (-) or New issues (+)). $g + i$ is real growth + inflation = nominal growth.

EXPECTED INFLATION.

$$(1 + \text{nominal}) = (1 + \text{real}) (1 + \text{inflation})$$

T-BOND (nominal), TIPS yield (real)

$$ERP = E(R) - R_F$$

ERP = Income Yield (IY) + Capital Gain (CG)

EXPLANATION of ΔS

DILUTION Effect.

$$\Delta S = \text{Net Buy Back} + \text{Std}$$

= issuance - buyback.

OR

relative dynamism

GDP, comib, Janm, PVT, SMEs

TOTAL GROWTH - LISTED GROWTH.

GRINOLD-KRONER MODEL: ESTIMATING LONG-TERM EQUITY RETURNS

A FORWARD-LOOKING FUNDAMENTAL APPROACH

$$E(R_e) = \frac{\text{Div}}{P} + i + g - \Delta S + \Delta \left(\frac{P}{E}\right)$$

1. EXPECTED INCOME RETURN: Div/P (Expected Dividend Yield)

2. EXPECTED NOMINAL EARNINGS GROWTH: $i + g$ (Expected Inflation Rate + Real Earnings Growth Rate = Nominal Growth)

3. EXPECTED REPRICING RETURN: $\Delta(P/E)$ (Expected % Change in Price to Earnings Ratio)

ILLUSTRATIVE EXAMPLE

EXAMPLE CALCULATION: $2.5\% + 2.0\% + 1.5\% - 0.3\% + 0.1\% = 5.8\%$

KEY BENEFITS: Forward-Looking, Decomposes Sources, Fundamental Focus

LIMITATIONS: Input Sensitivity, Estimation Error, Long-Term Only

1. EXPANDED EXPLANATION: BEFORE vs AFTER Company Actions

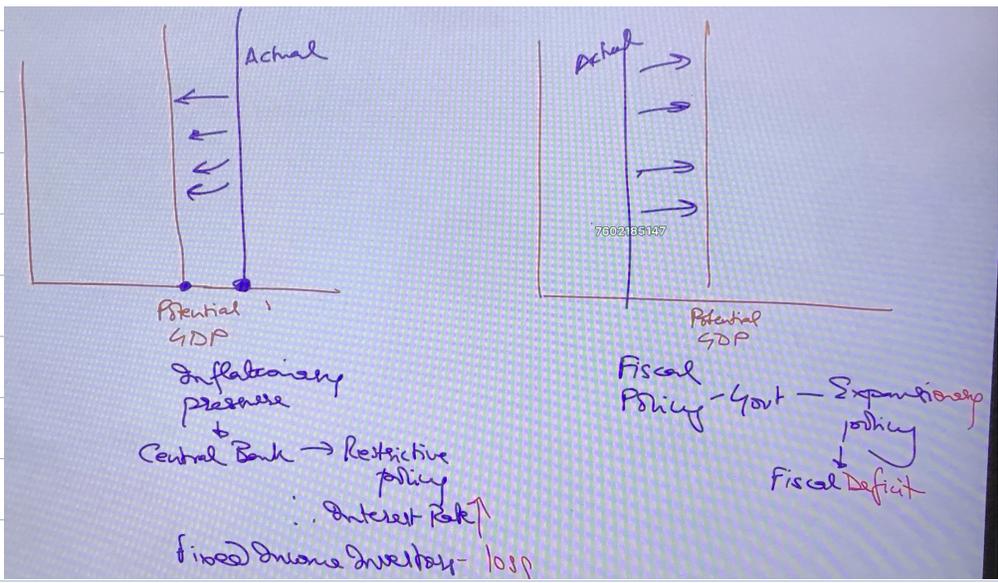
2. VISUAL EXAMPLE: SCENARIO A: COMPANY SHARE BUYBACK (e.g. Start 100M shares, Buy back 10M, Excess cash emits, COMPANY FINANCIAL Negative ΔS)

SCENARIO B: COMPANY SHARE ISSUANCE (e.g. Start 100M shares, Issue 10M, Needs corp. capital, NEW ISSUE, COMPANY FINANCIAL Positive ΔS)

3. IMPACT ON SHAREHOLDER VALUE: SLICE OF THE PIE (BUYBACK, ISSUANCE)

BUYBACKS (+) INCREASE RETURN: Competitive return cash to shareholders, Increase P/E Ratio (P/E), A common mistake, effectively a "synthetic dividend".

ISSUANCE (-) DECREASES RETURN (DILUTION): Competitive level capital for shareholders, Decrease P/E, Increase dilution, Increase share price in percentage ownership.



Cobb-Douglas PRODUCTION FUNCTION

$$Y = f_{in} [L, K, T]$$

\downarrow o/p.
 \downarrow Labour
 \downarrow Capital
 \rightarrow Technology

$$Y = T \cdot K^\alpha \cdot L^{(1-\alpha)}$$

\rightarrow Contribution \rightarrow generally more in developed markets.
 $\alpha < 1$

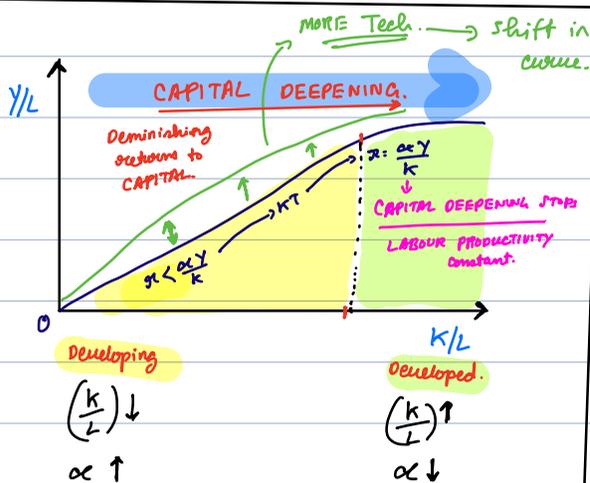
Technology
 \rightarrow Total factor productivity

$$Y = T K^\alpha L^{1-\alpha}$$

$$\frac{Y}{L} = \frac{T \cdot K^\alpha \cdot L^{1-\alpha}}{L} = T \left(\frac{K}{L}\right)^\alpha$$

Developed	Developing
$K \uparrow \rightarrow Y \uparrow$	$K \uparrow \rightarrow Y \uparrow$
$\therefore \Delta Y < \Delta y$	
$\alpha < \alpha$	$\alpha > \alpha$
$\frac{K}{L} \uparrow \alpha \downarrow$	$\frac{K}{L} \downarrow \alpha \uparrow$
Capital Deepening	

Increase in Y/L for an increase in K/L .



MPK = Marginal Product of Capital = $\frac{\alpha \Delta Y}{\Delta K}$

" " " " = $\frac{\alpha Y}{K}$

Labour Productivity Growth Rate (Y/L)

$$L \rightarrow \text{Growth Tech} + \text{Growth CAP}_a$$

r = cost of capital

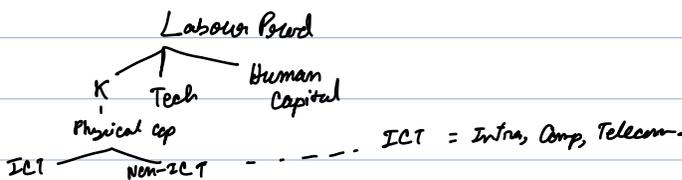
$$rK = \alpha Y \quad \rightarrow \quad \alpha = \frac{rK}{Y}$$

Total return earned by contributors of capital.

proportion of capital's contribution to the return

$$\Rightarrow r = \frac{\alpha Y}{K} = \alpha \left(\frac{Y}{K}\right)$$

\rightarrow Equilibrium Position.



GROWTH A/c relation.

$$\frac{\Delta Y}{Y} = \frac{\Delta T}{T} + \alpha \frac{\Delta K}{K} + (1-\alpha) \frac{\Delta L}{L}$$

Growth in GDP = Growth in tech α Growth in Capital $(1-\alpha)$ Growth in Labour.
 ↓
 Back-calculate [Ex-port]

$$\frac{Y}{L} = T \left(\frac{K}{L}\right)^\alpha$$

Growth rate in GDP = Growth in tech + Growth in Labour.

ECONOMIC - GROWTH - THEORIES.

Classical

- Subsistence level.
 ↓
 Minimum required income to maintain life.



NOT SUPPORTED

Sustainable Growth Rate

Neo-Classical

• Steady / Equilibrium growth rate.

o/p / Capital is constant.

Capita / Labour & o/p / Capita. grows at equilibrium rate g^*

$$o/p / capita = \frac{\alpha}{1-\alpha} \rightarrow \text{Labour position}$$

$$o/p = \frac{\alpha}{1-\alpha} + \Delta L \rightarrow \text{TOTAL}$$

$\Rightarrow K \uparrow$ — lead to o/p \uparrow

— temporarily $g \uparrow \rightarrow$ revert to g^*

ENDOGENOUS

Physical + Human Capital

Technology Progress
 ↓
 productivity \uparrow
 $\therefore g \uparrow$

NO g^* concept

R&D $\left\{ \begin{array}{l} \text{down} \\ \text{external} \end{array} \right\}$ GENEFITS
 overall society benefit.
 \therefore growth in entire economy.

$\Rightarrow K \uparrow$ — lead to output \uparrow
 — temporarily $g \uparrow$
 Point will revert to g^*

$\Rightarrow g \rightarrow g^*$
 (irrespective of Capital/Labour or level of tech)

\Rightarrow In a steady state = $g^* = \frac{\delta}{1-\alpha}$ (growth in tech / labor share)

\Rightarrow steady state
 output / Capital constant
 product MPR = $\frac{\alpha Y}{K}$ constant
 Marginal productivity is diminishing

\Rightarrow Savings \uparrow temporarily $g \uparrow$
 \therefore Capital / Labour \uparrow \therefore productivity \uparrow

\Rightarrow Developing countries — impacted less by higher growth but eventually $\rightarrow g^*$
 consequence.

NEO	ENDO
temporary increase in g	permanent increase in g
$K \uparrow \rightarrow$ Tech \uparrow	$K \uparrow \rightarrow$ Tech \uparrow

CONVERGENCE

